Problem 1

The function is $P(t)=1+9\cdot 2-t1000$.

- a) The carrying capacity is the numerator, which is 1000.
- b) To find the initial population, we evaluate the function at t=0:

 $P(0)=1+9\cdot2-01000=1+9\cdot11000=101000=100$ algae.

c) To find the population after 3 days, we evaluate the function at t=3: $P(3)=1+9\cdot2-31000=1+9\cdot811000=1+891000=8171000=1000\cdot178\approx470.59$. Since we're dealing with a population, we can round to **471 algae**.

Problem 2

The function is $H(t)=1+499\cdot 0.5-t5000$.

- a) The maximum number of people that can hear the rumor is the carrying capacity, which is the numerator: **5,000**.
- b) To find the initial number of people who heard the rumor, we evaluate the function at t=0: $H(0)=1+499\cdot0.5-05000=1+499\cdot15000=5005000=10$ people.
- c) To find the time when 2,500 people have heard the rumor, we set H(t)=2500 and solve for t:

2500=1+499·0.5-t5000

1+499·0.5-t=25005000=2

499·0.5-t=1

0.5 - t = 4991

To solve for t, we take the logarithm of both sides:

 $-t \cdot \log(0.5) = \log(4991)$

 $-t \cdot (-0.301) = -2.698$

 $t=-0.301-2.698 \approx 8.96$ weeks.

Problem 3

The function is $S(x)=1+24\cdot3-x25000$.

a) The maximum number of units the company expects to sell is the carrying capacity, which

is the numerator: **25,000 units**.

b) To find the sales in the first month, we evaluate the function at x=1: $S(1)=1+24\cdot3-125000=1+24\cdot3125000=1+825000=925000\approx2777.78$. Since we're dealing with units, we can round to **2,778 units**.